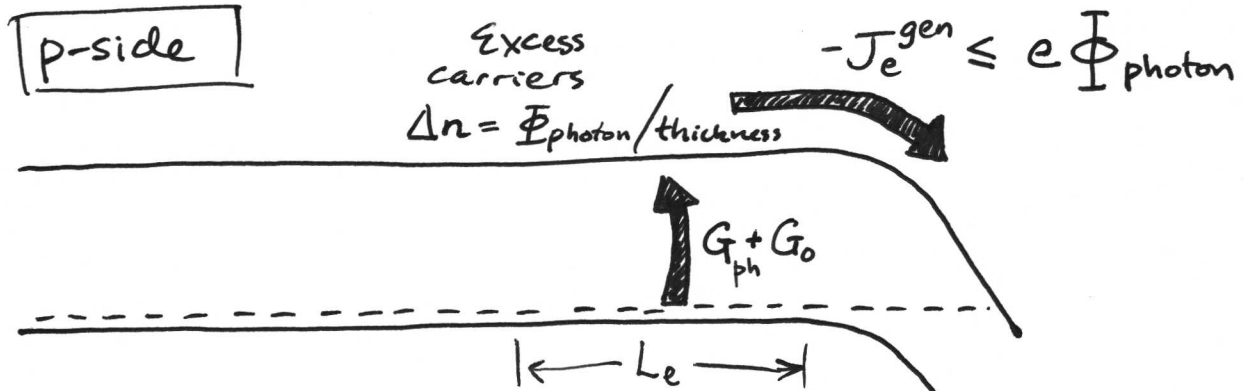


Now, illuminate the pn junction with radiation:

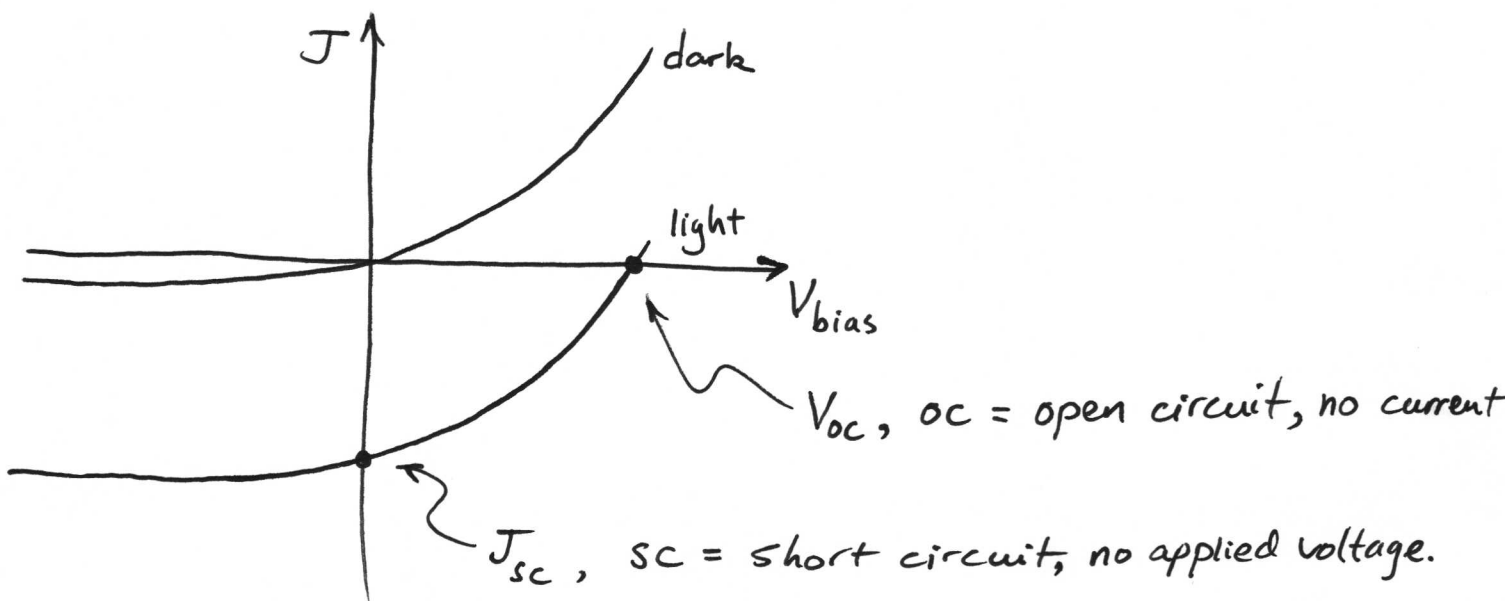


If all photons create an excess e/h pair,

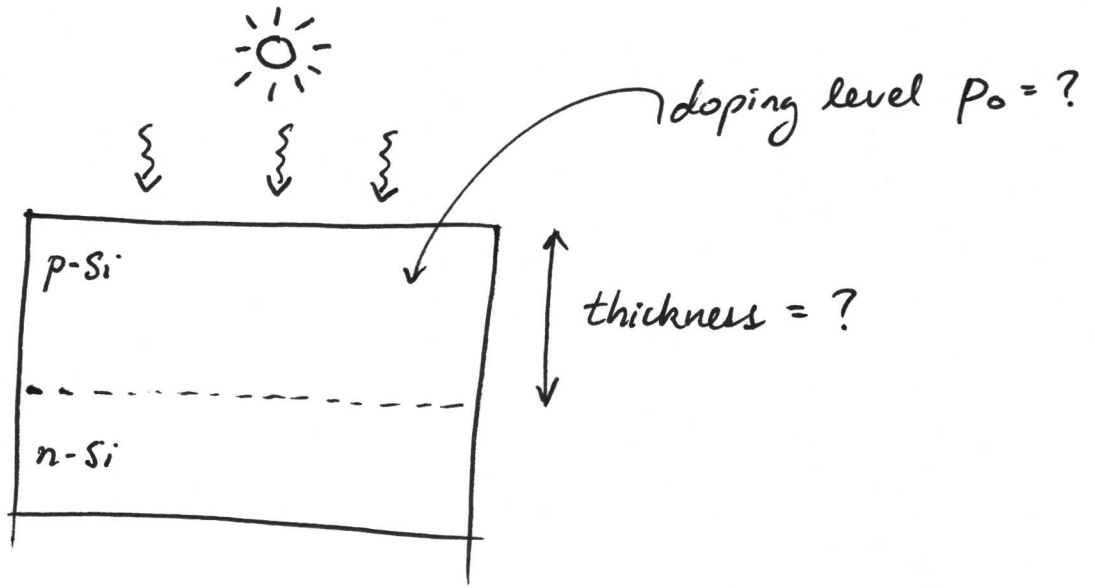
& If all excess carriers are created in the p-type region within distance L_e of the junction then

$$J_e^{gen} = e \Phi_{photon} \quad \text{IDEAL CASE}$$

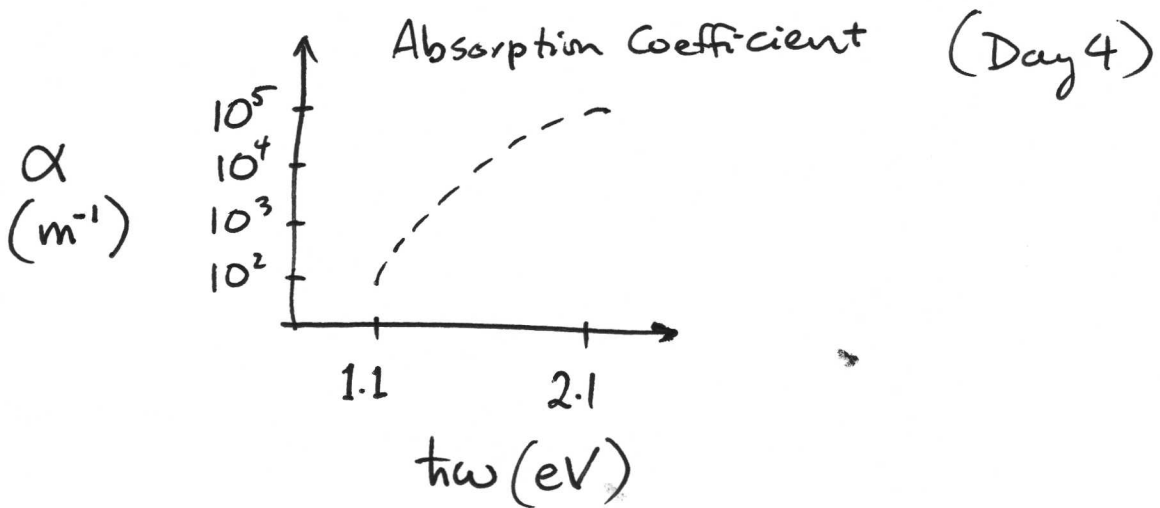
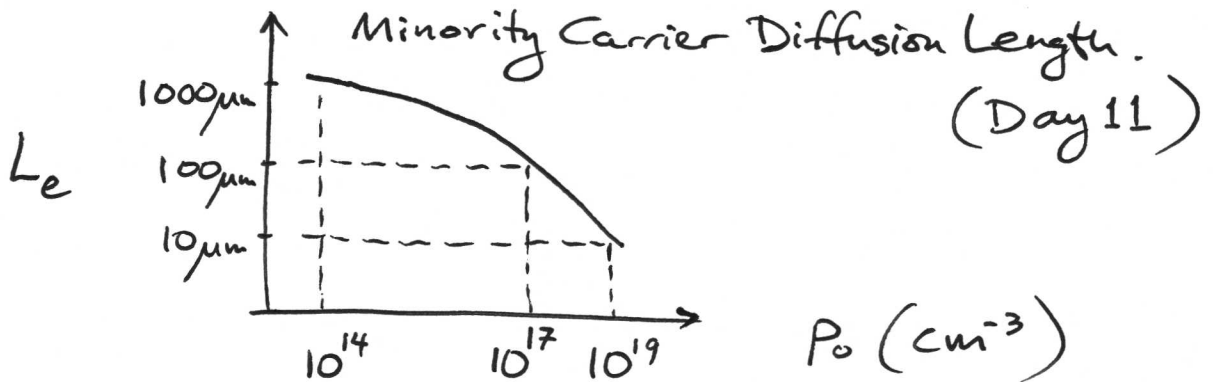
$$J = J_0 \left(\exp\left(\frac{eV_{bias}}{kT}\right) - 1 \right) - e \Phi_{photon}$$



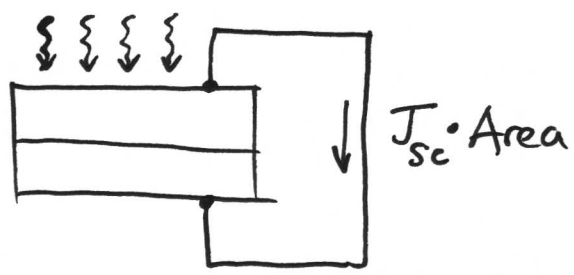
Exercise



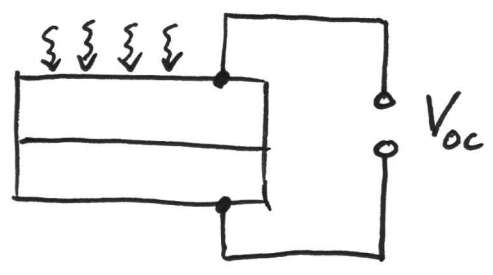
Design a solar cell where the p-side is thick enough to absorb most photons and J_{sc} is as large as possible.



If we measure J_{sc}



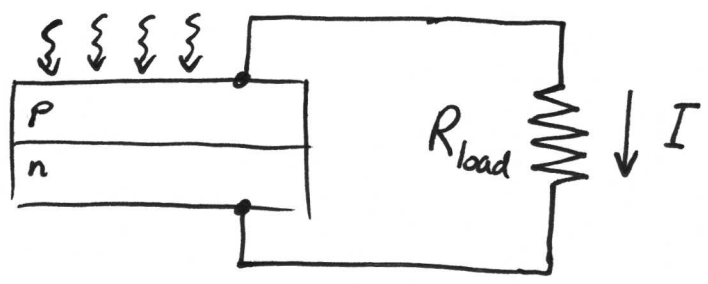
And we know ~~that~~ J_0 for the diode (say 10^{-12} A/cm^2)
 then predict
 we can [^]calculate the expected V_{oc}



Exercise Assume a flux of 0.1 W/cm^2 with $h\nu > E_g$.
 Assume $\text{EQE} = 100\%$.
 Assume $J_0 = 10^{-12} \text{ A/cm}^2$ & ideal diode eqn.
 Predict V_{oc} .

For the solar cell in the previous example/exercise, how much electrical work can it do?

Area = 1 cm²

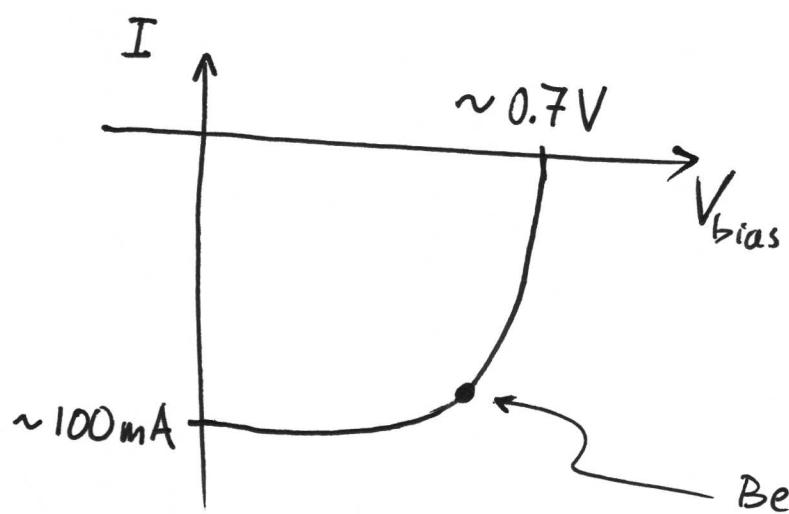


Voltage drop across R_{load} determines the forward bias on the pn junction.

Choose R_{load} to maximize

$$\text{Power} = I \cdot V = I \cdot (I R_{load})$$

Voltage drop across R_{load} = $-V_{bias}$.



Best operating point (would be achieved with $R_{load} \sim 7 \Omega$)