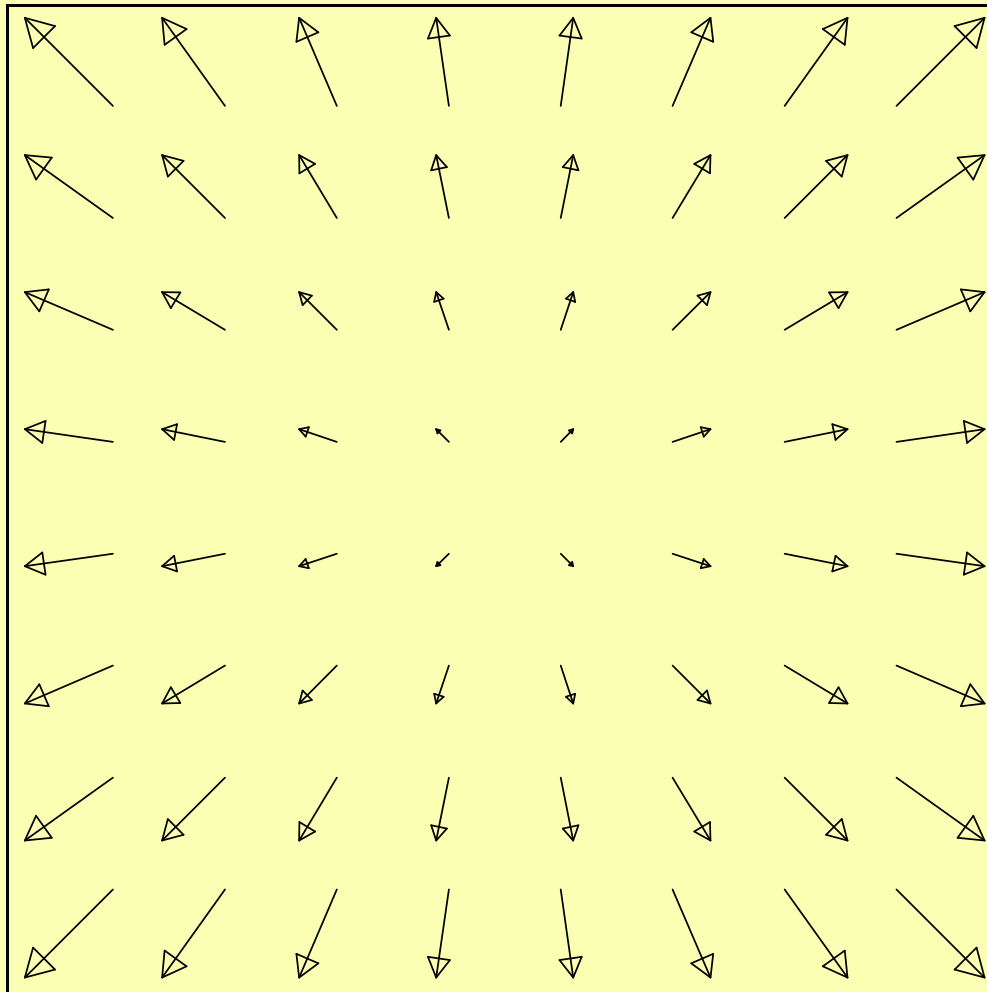


THE GEOMETRY OF DIVERGENCE

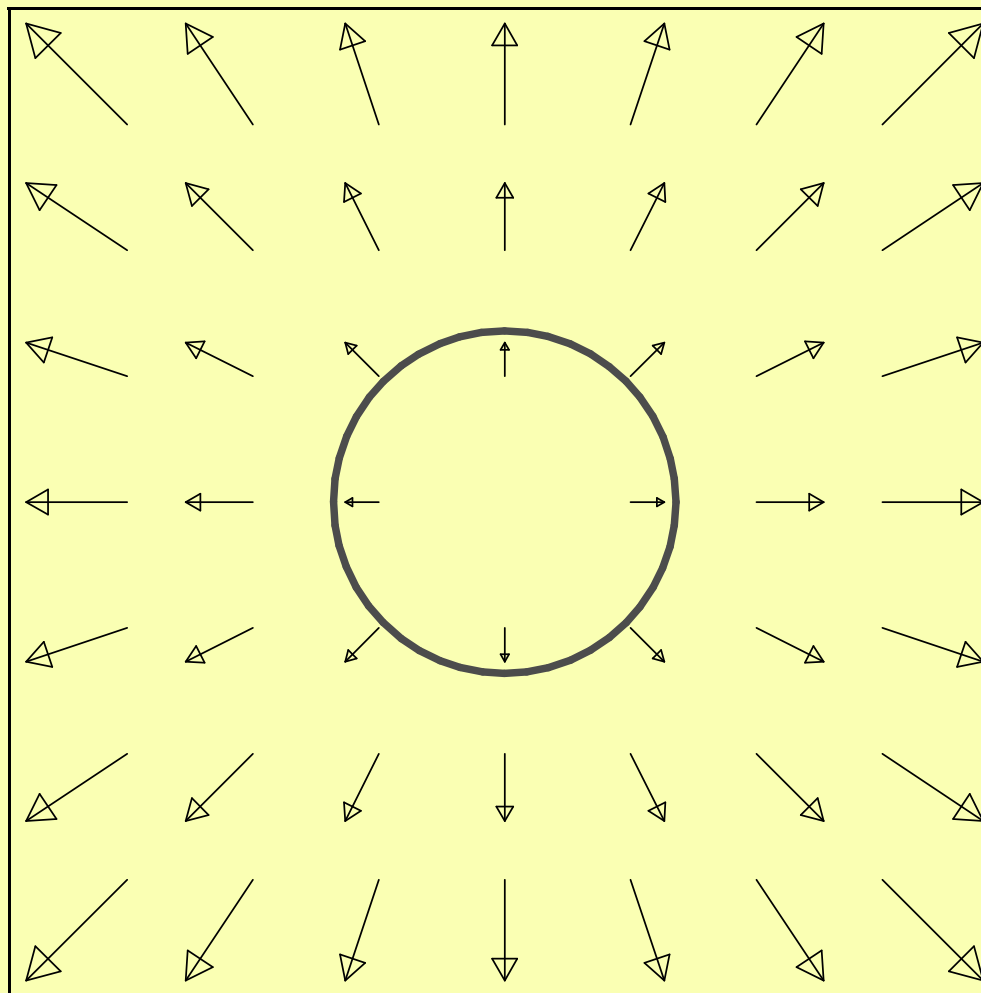
$$\int_{\text{box}} \vec{F} \cdot d\vec{A} = \int_{\text{inside}} \vec{\nabla} \cdot \vec{F} dV$$

$$\vec{\nabla} \cdot \vec{F} \approx \frac{\int \vec{F} \cdot d\vec{A}}{\text{volume of box}} = \frac{\text{flux}}{\text{unit volume}}$$

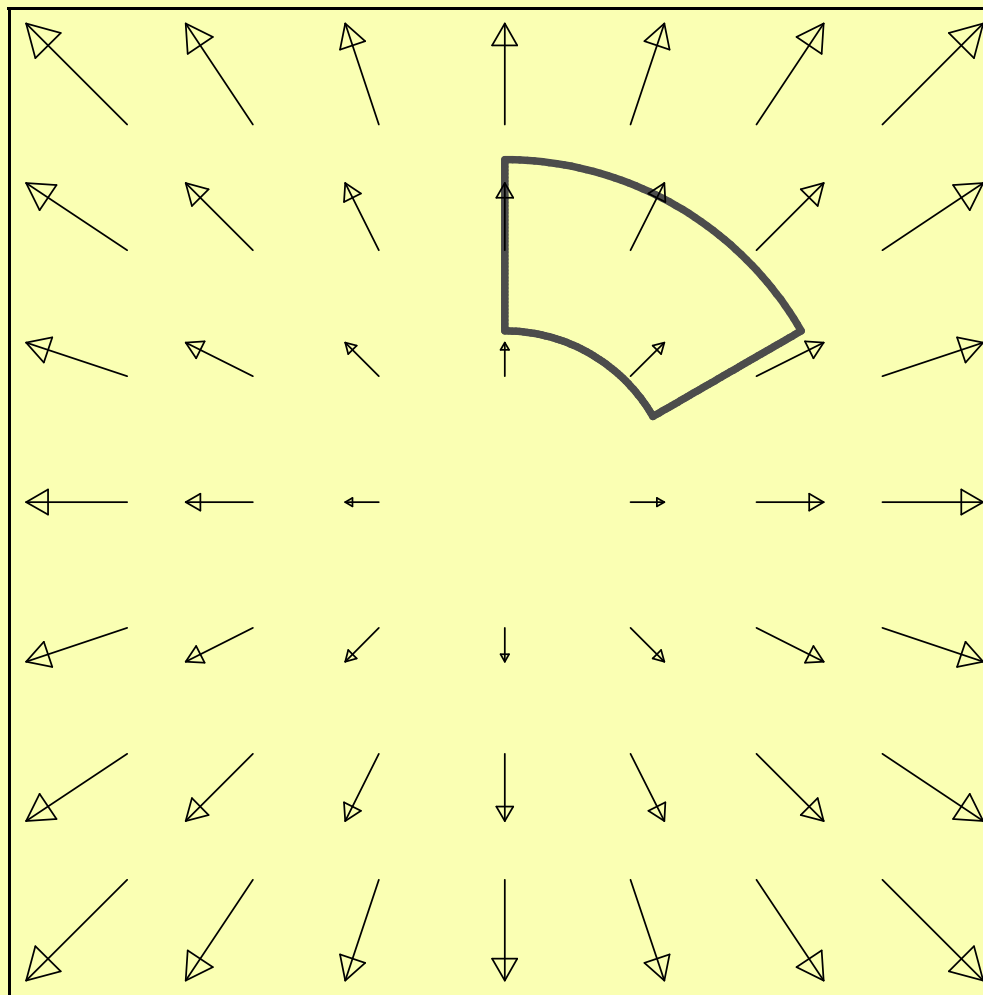
THE GEOMETRY OF DIVERGENCE



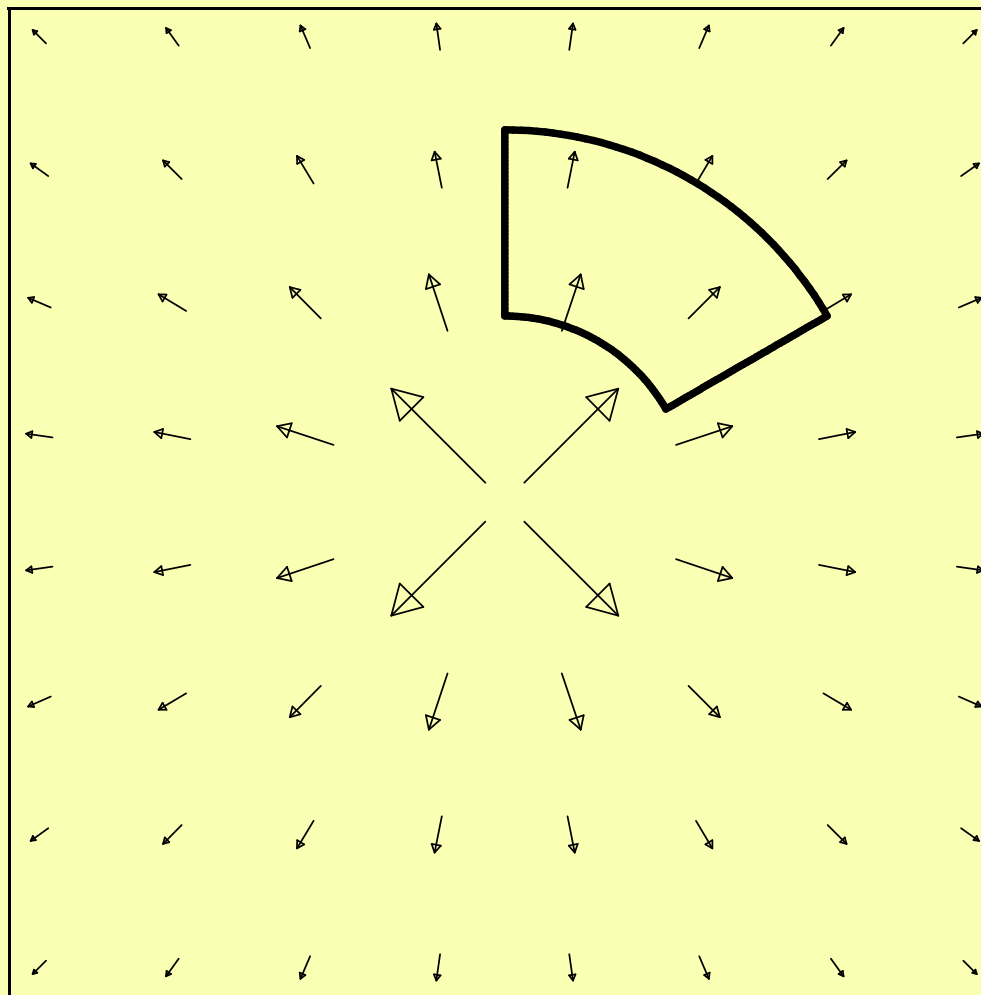
THE GEOMETRY OF DIVERGENCE



THE GEOMETRY OF DIVERGENCE



THE GEOMETRY OF DIVERGENCE

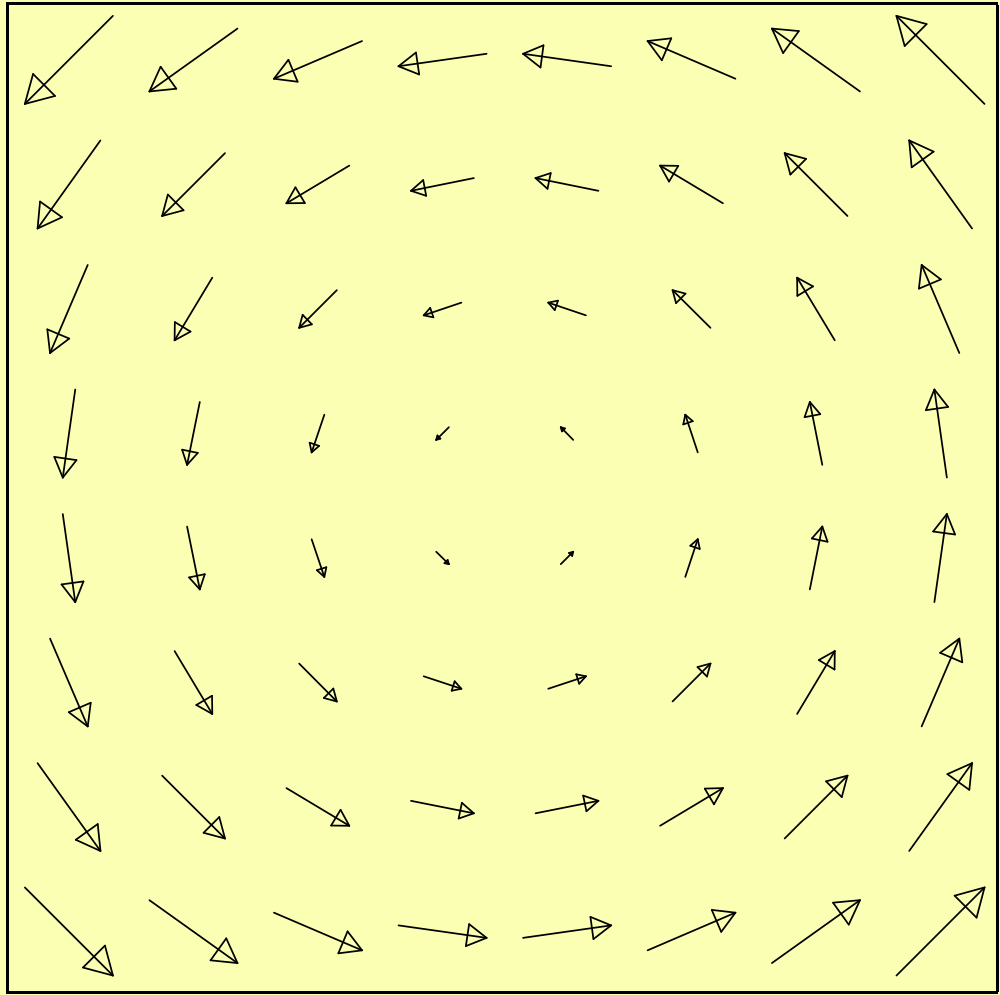


THE GEOMETRY OF CURL

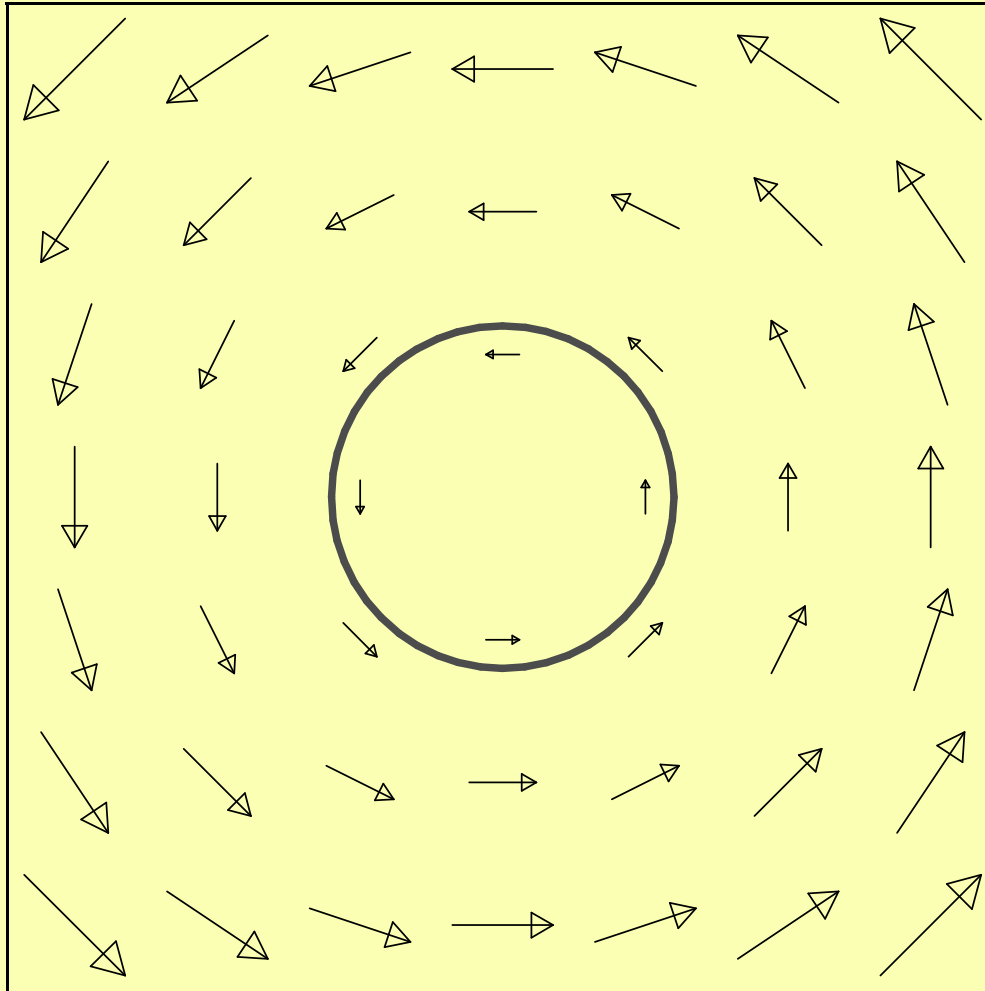
$$\oint_{\text{loop}} \vec{F} \cdot d\vec{r} = \int_{\text{inside}} (\vec{\nabla} \times \vec{F}) \cdot d\vec{A}$$

$$(\vec{\nabla} \times \vec{F}) \cdot \hat{n} \approx \frac{\oint \vec{F} \cdot d\vec{r}}{\text{area of loop}} = \frac{\text{(oriented) circulation}}{\text{unit area}}$$

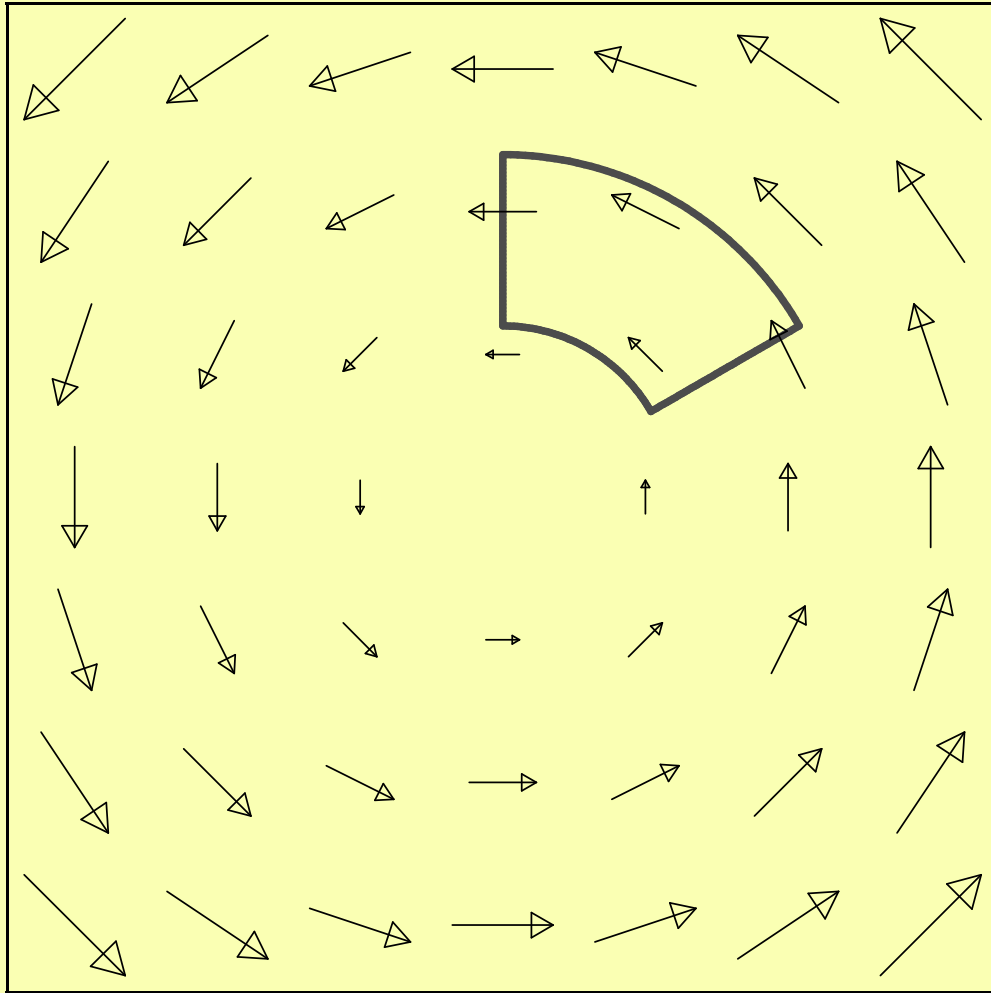
THE GEOMETRY OF CURL



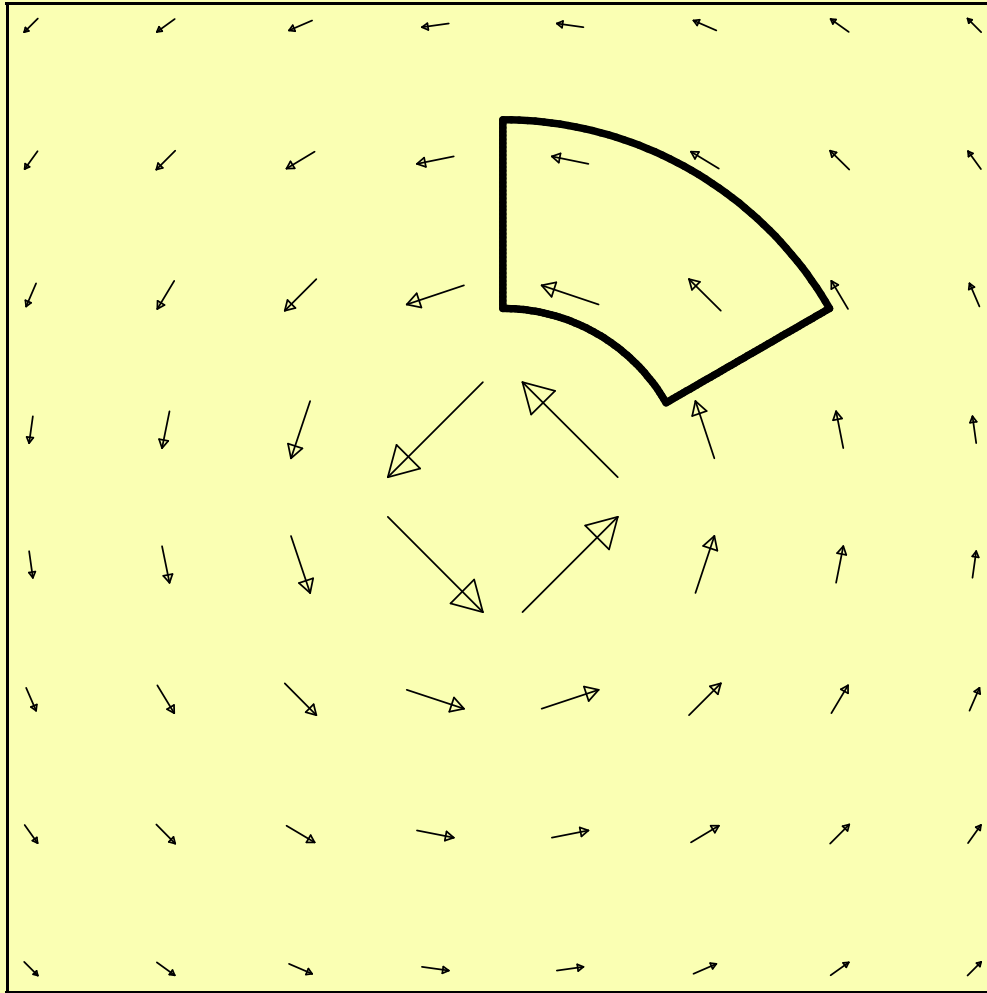
THE GEOMETRY OF CURL



THE GEOMETRY OF CURL



THE GEOMETRY OF CURL



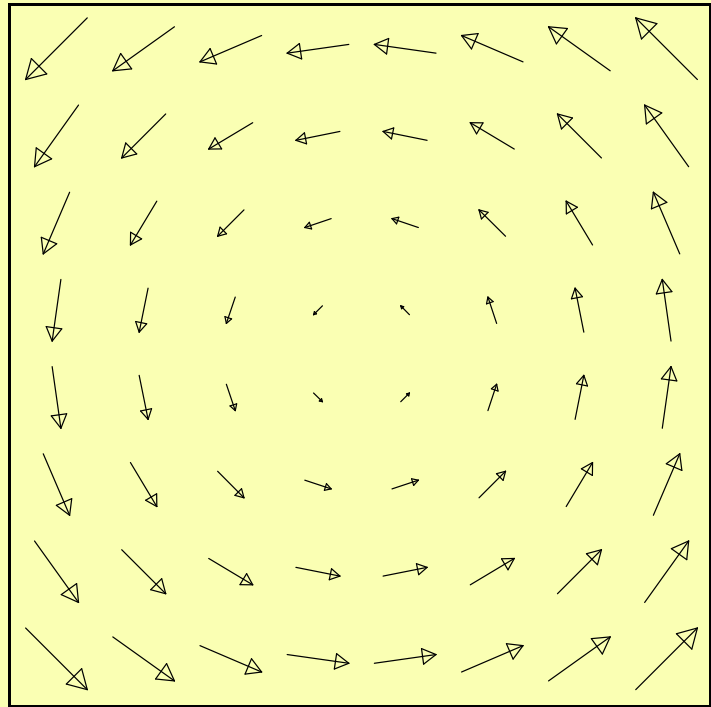
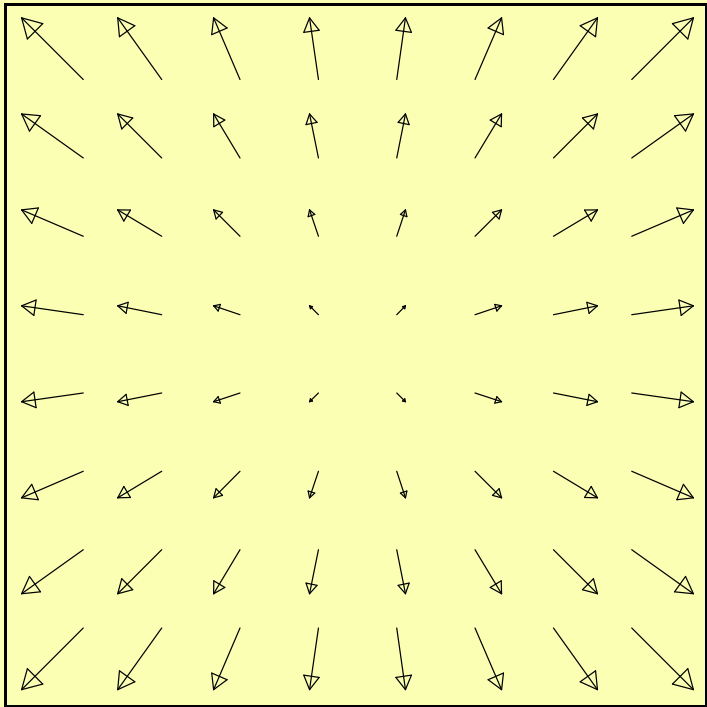
THE GEOMETRY OF CONSERVATIVE VECTOR FIELDS

$$\vec{F} = \vec{\nabla} f$$

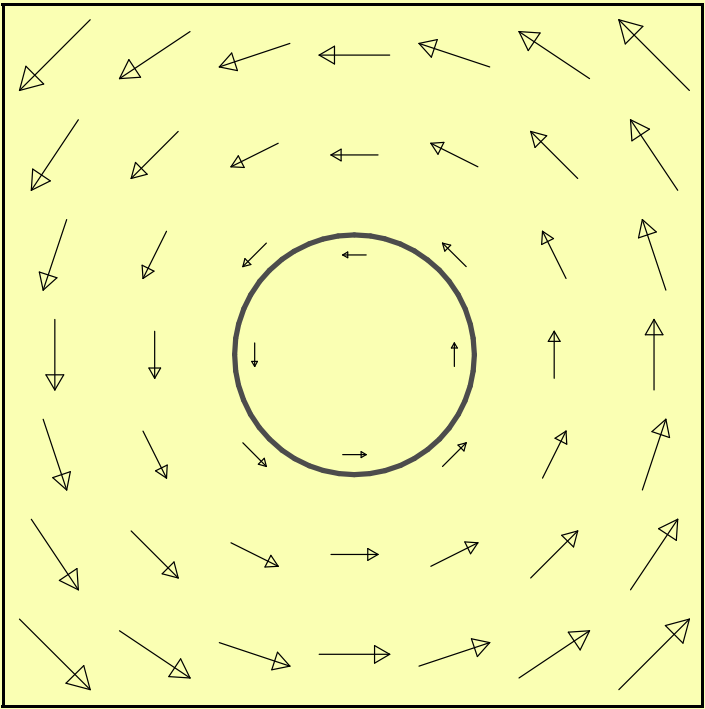
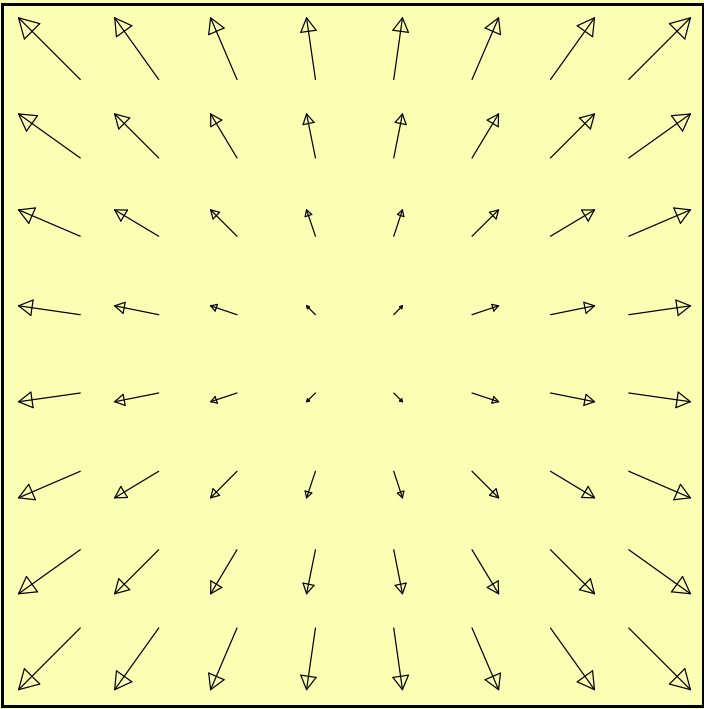
$$\vec{F} \cdot d\vec{r} = \vec{\nabla} f \cdot d\vec{r} = df$$

$$\oint \vec{F} \cdot d\vec{r} = 0$$

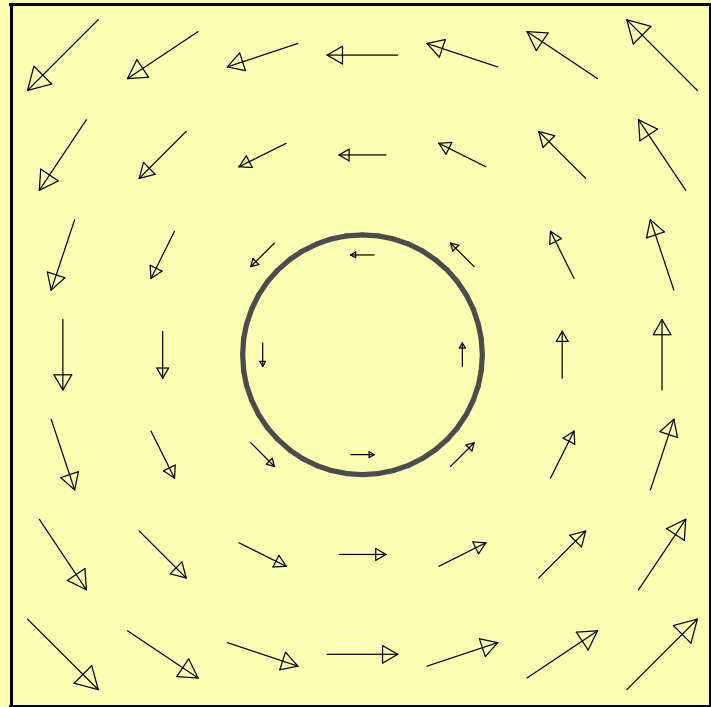
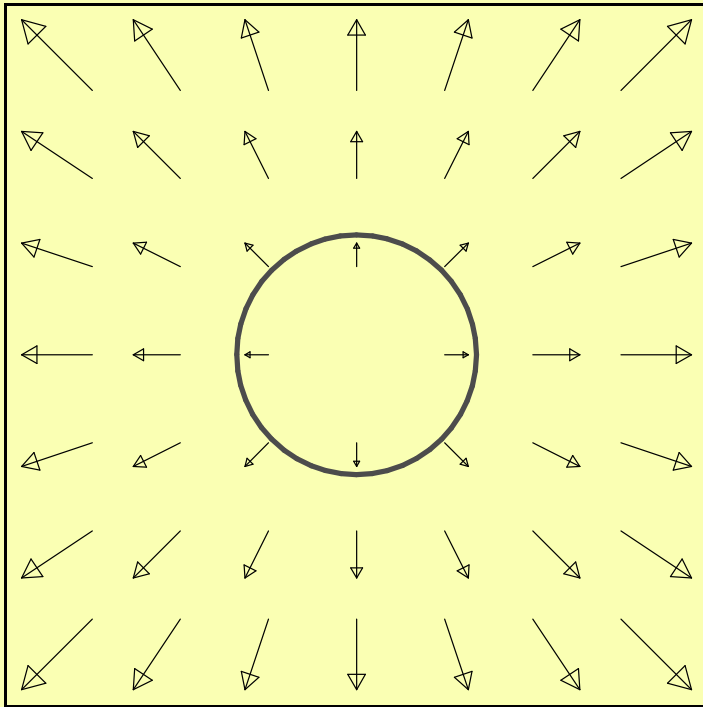
THE GEOMETRY OF CONSERVATIVE VECTOR FIELDS



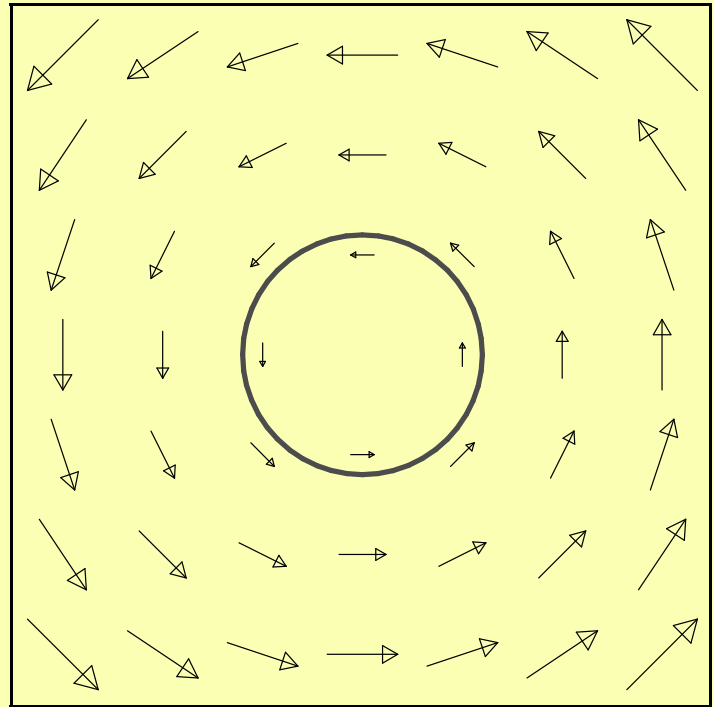
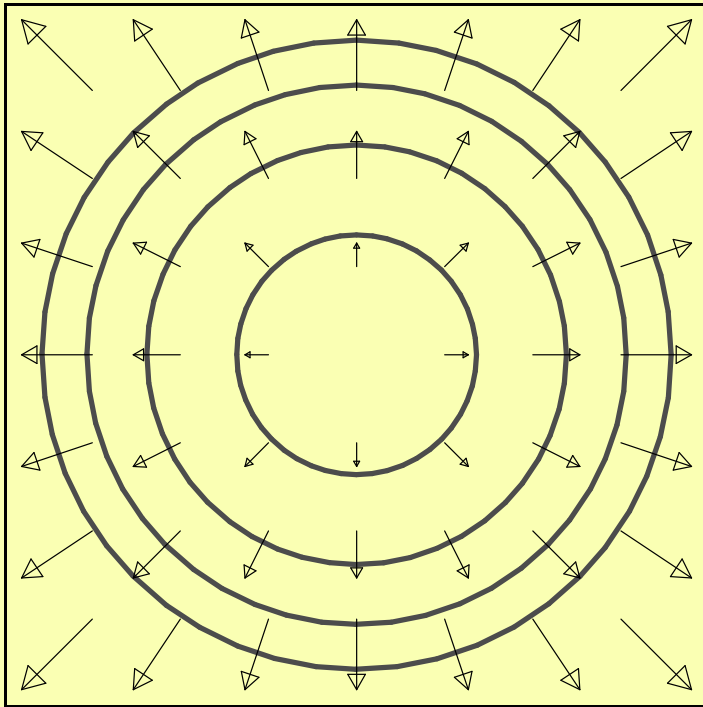
THE GEOMETRY OF CONSERVATIVE VECTOR FIELDS



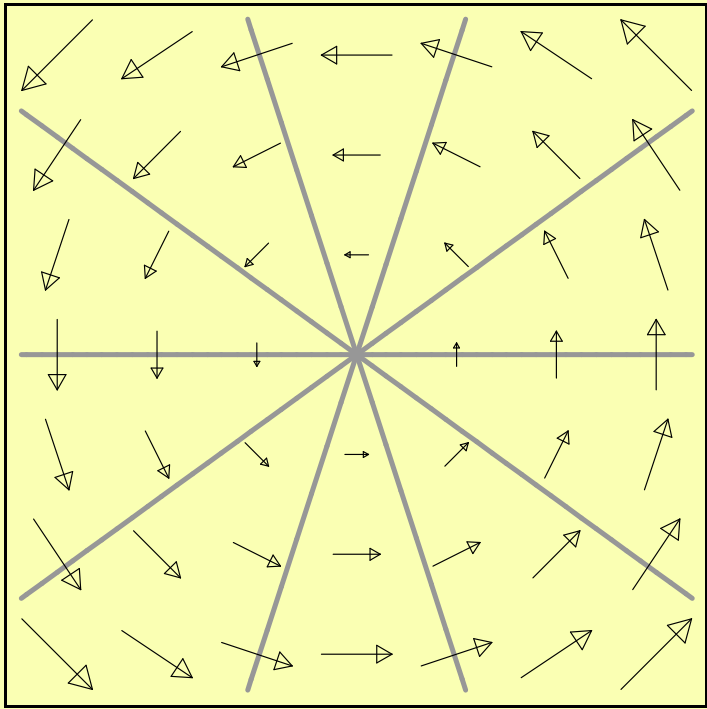
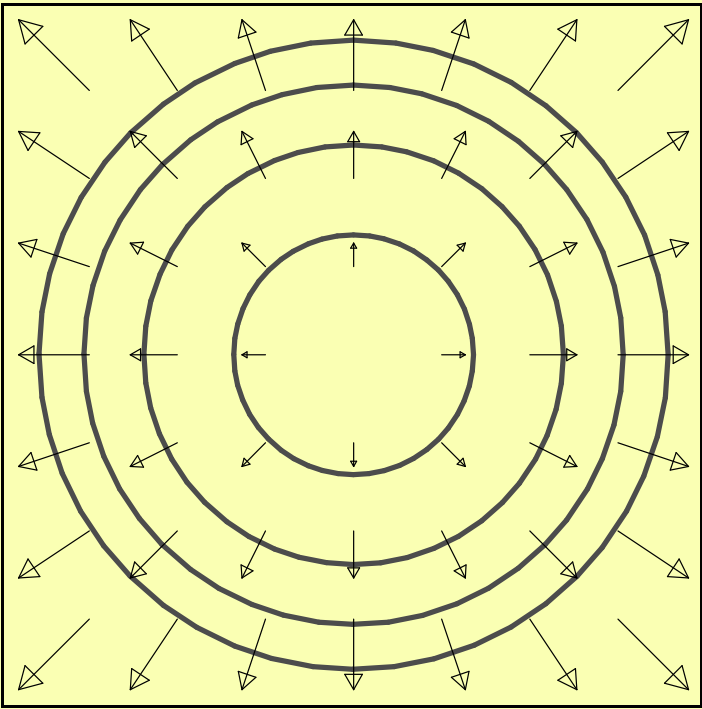
THE GEOMETRY OF CONSERVATIVE VECTOR FIELDS



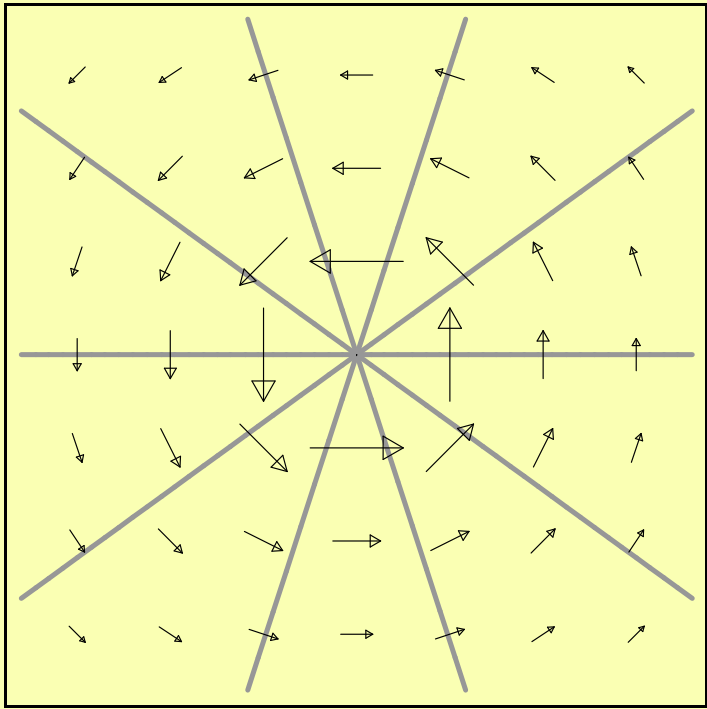
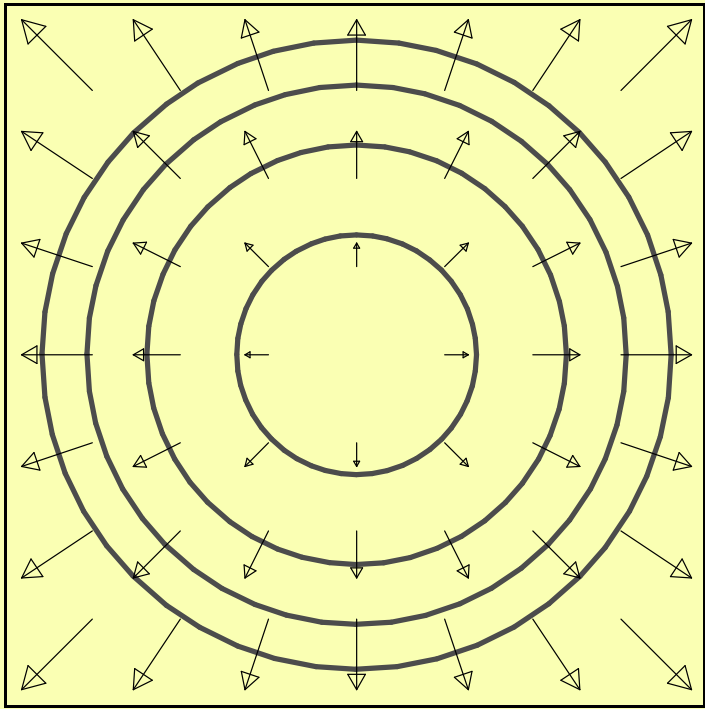
THE GEOMETRY OF CONSERVATIVE VECTOR FIELDS



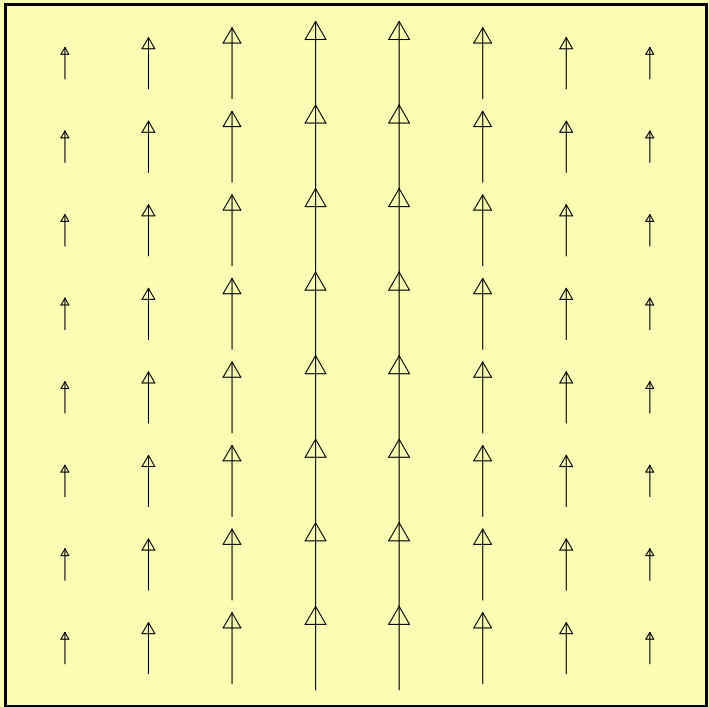
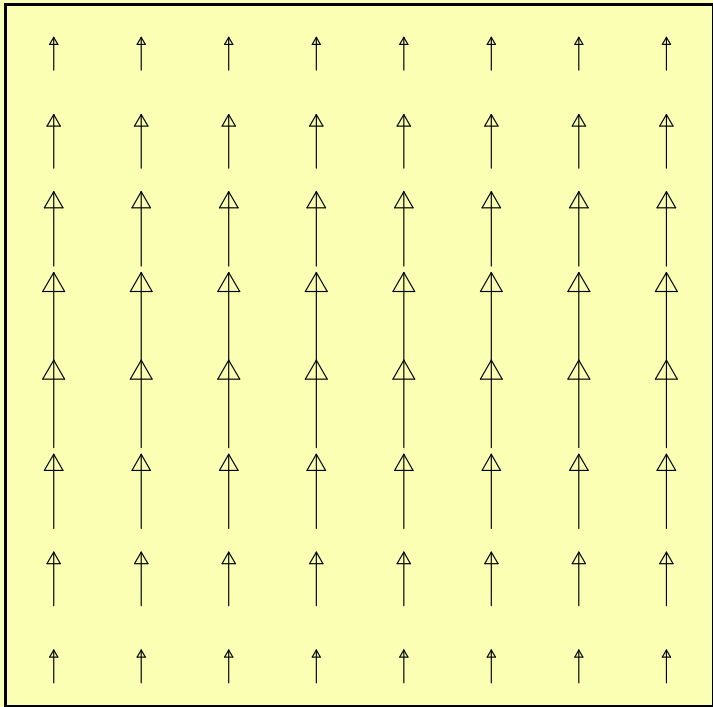
THE GEOMETRY OF CONSERVATIVE VECTOR FIELDS



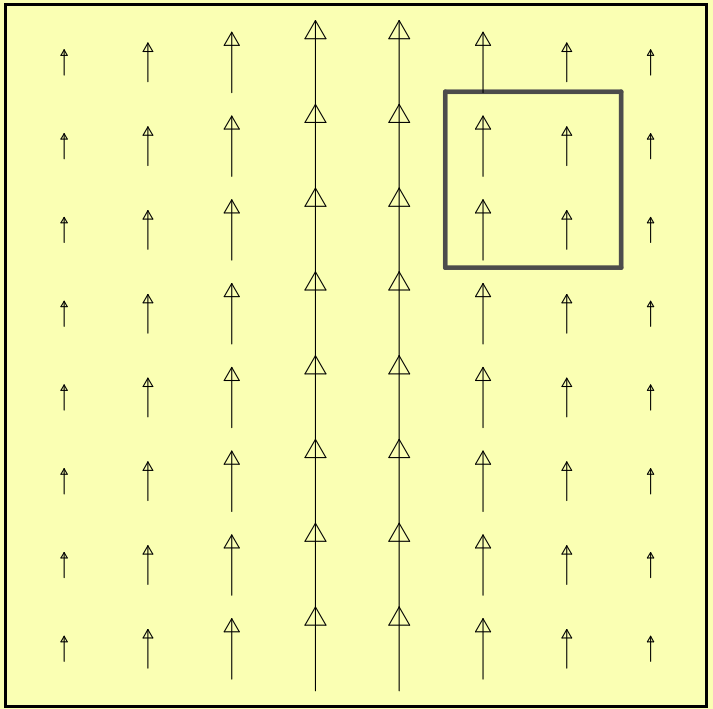
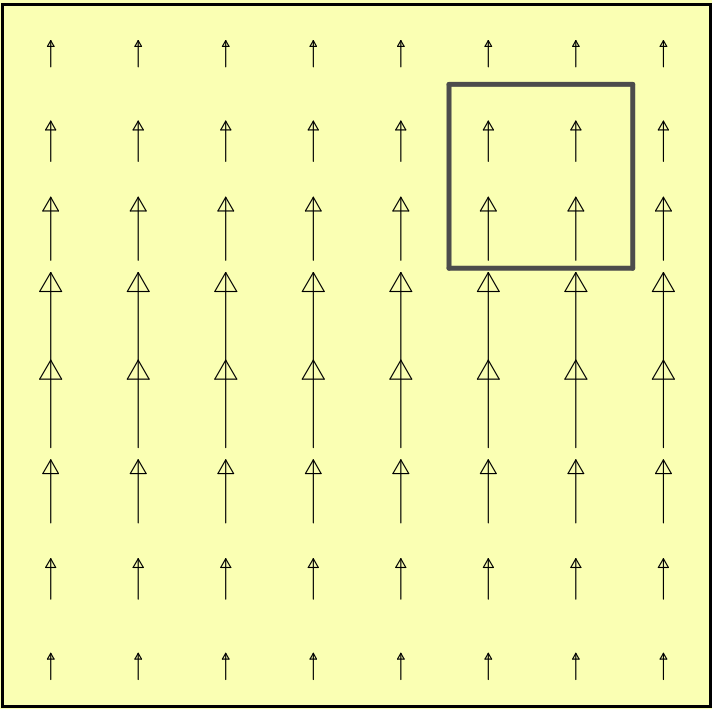
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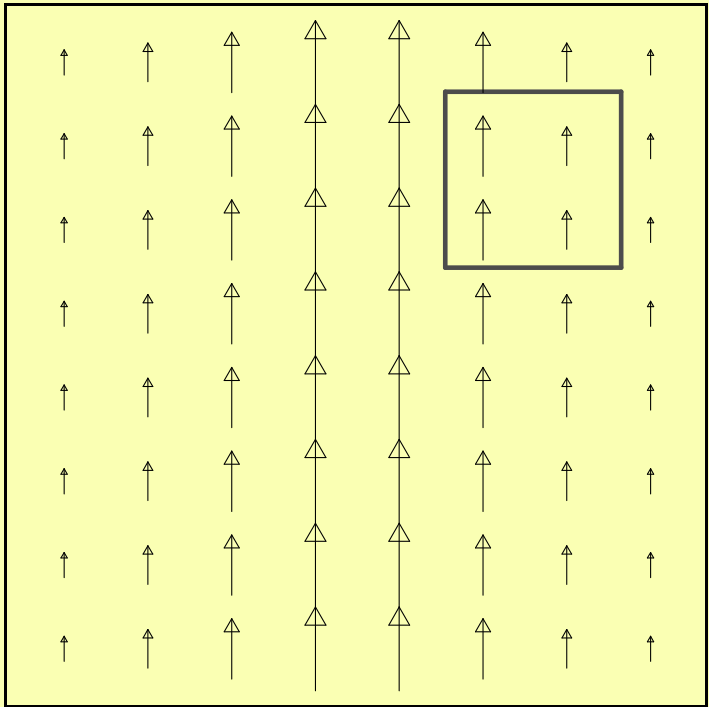
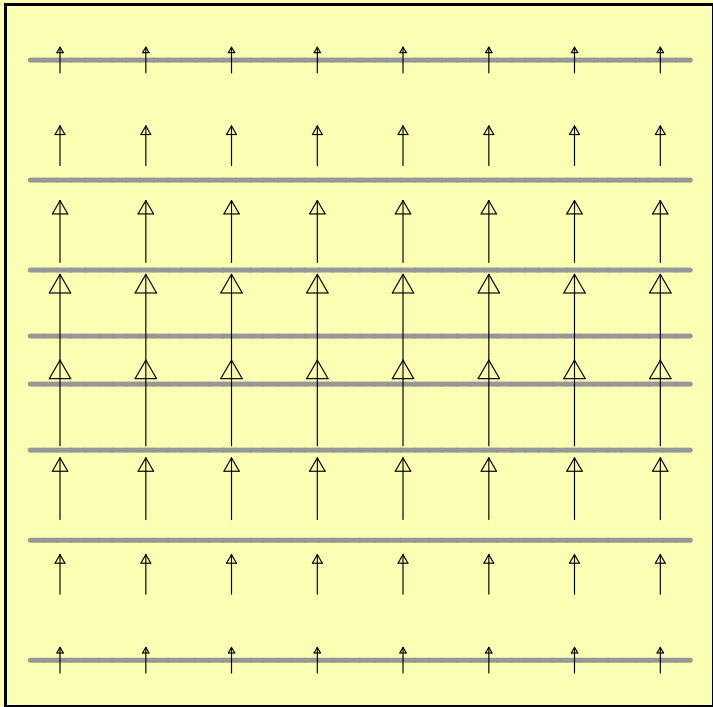
THE GEOMETRY OF CONSERVATIVE VECTOR FIELDS



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